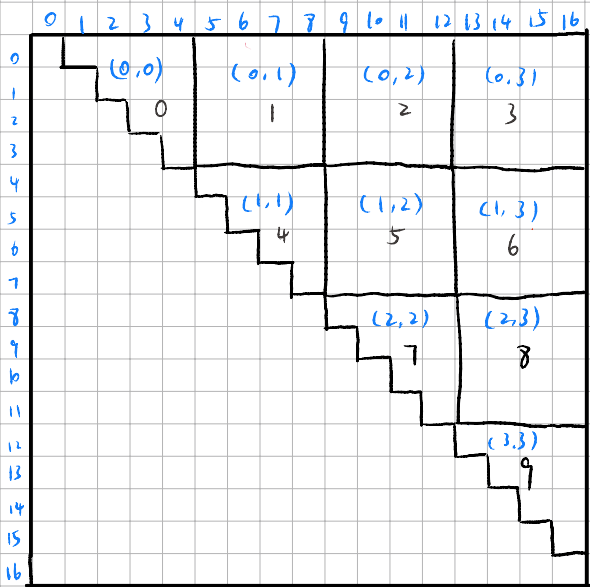


② $N=17$, Block Size = 4

$$\begin{aligned} \text{hori_group_num} &= (\text{numbodies} - 2) // \text{Block Size} + 1 \\ &= (17 - 2) // 4 + 1 = 4 \quad \checkmark \end{aligned}$$

$$\begin{aligned} \text{total_block_num} &= \frac{(\text{hori_group_num} + 1) \text{hori_group_num}}{2} \\ &= \frac{4 \times 5}{2} = 10 \quad \checkmark \end{aligned}$$

① BlockId \rightarrow (group-id-x, group-id-y)



输入: BlockId (记为x)

len = hori_group_nums: layer = 0 # 记录属于第几层 (从0开始)

x = x + 1 # 将从0开始的序号转化为从1开始的第几个

while x > 0:

 x = x - len

 if x > 0: len -= 1, layer += 1,

x = x + len # 最后一行的个数

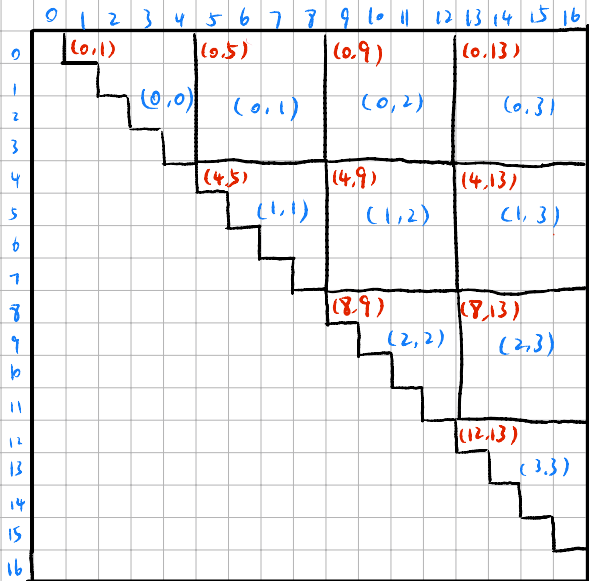
$$\text{group_id_x} = \text{layer}$$

$$\text{group_id_y} = \text{layer} + x - 1$$

② $(\text{group_id_x}, \text{group_id_y}) \rightarrow (\text{start_x}, \text{start_y})$

组坐标

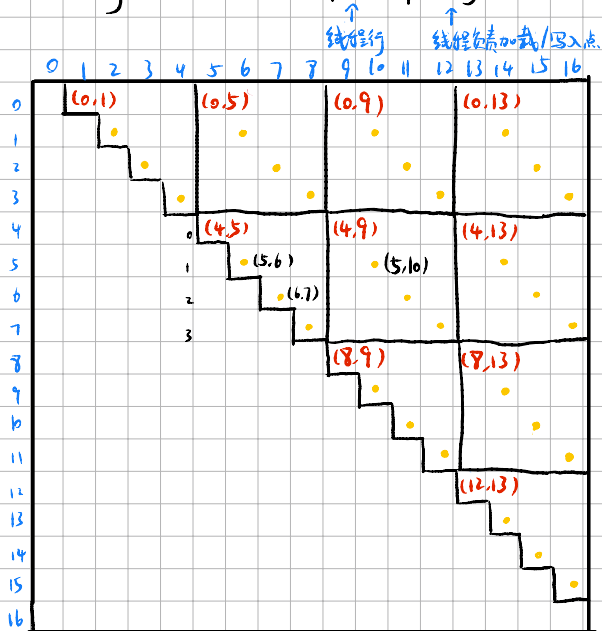
块内左上角起始点坐标



$$\text{start_x} = \text{BlockSize} \cdot \text{group_id_x}$$

$$\text{start_y} = \text{BlockSize} \cdot \text{group_id_y} + 1$$

③ $(start_x, start_y) \& threadId \Rightarrow (point_x, point_y)$

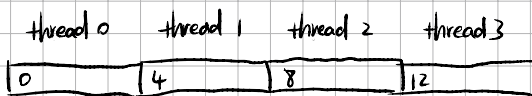


$$point_x = start_x + threadId \times$$

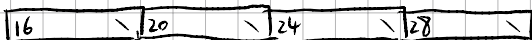
$$point_y = start_y + threadId \times$$

④ sharedMem: $2 \times BlockSize$ 个元素位置, 每个元素由 4 个 float 组成

线程位置
天体 xyz, w



天体 a, x, a, y, a, z
加法



$$(real *) mass = sharedMem;$$

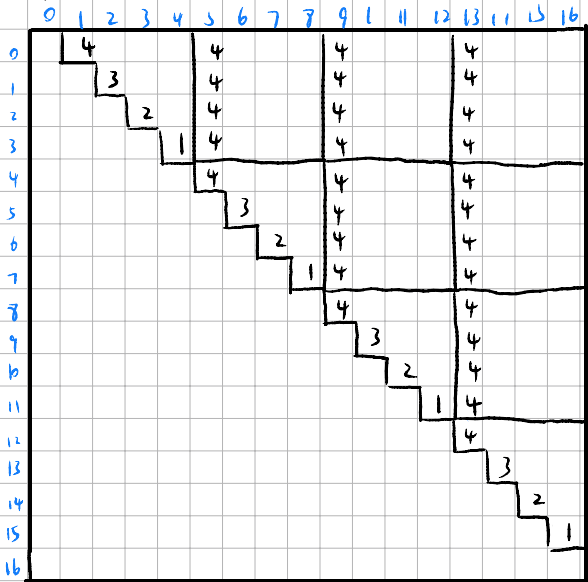
$$(real *) acc_sum_list = sharedMem + 4 \times BlockSize;$$

对 thread i:

$$(real *) mass_pointer = mass + 4 \times i$$

$$(real *) acc_pointer = acc_sum_list + 4 \times i$$

⑤ 每个线程计算任务数量



i) 不是对角块 \Rightarrow BlockSize

ii) 是对角块 \Rightarrow BlockSize - threadIdx

判断对角块:

$$\text{start}_y == \text{start}_x - 1$$

⑥ 每个线程起始计算点的 index

$$\text{index} = \text{threadIdx}$$

⑦ 循环 index 公式:

$$\text{index}' = (\text{index} + 1) \% \text{BlockSize}$$

0 \rightarrow 1

1 \rightarrow 2

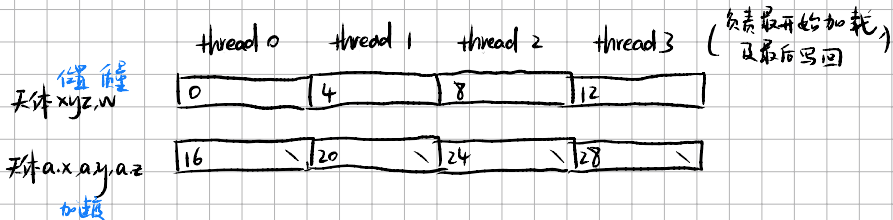
2 \rightarrow 3

3 \rightarrow 0

⑧ 函数内数据对应

threadId \rightarrow 局部变量存 point-x 号天体的 xyzw

current_index \rightarrow mass + current_index * 4 天体的 xyzw
计算顺序



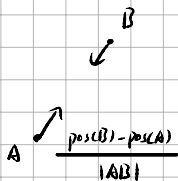
⑨ coff 计算:

$$\vec{F}_{(A \text{ 受到 } B \text{ 的加速度})} = \frac{G \frac{M_A M_B}{|AB|^2} \cdot \vec{AB}}{M_A}$$

$$= \frac{\vec{AB}}{|AB|^3} \cdot M_B$$

$$\vec{F}_{(B \text{ 受到 } A \text{ 的加速度})} = \frac{\vec{BA}}{|AB|^2} \cdot M_A$$

$$= \frac{\vec{AB}}{|AB|^3} \cdot M_A \cdot (-1)$$



$$\vec{AB} = \text{pos}(B) - \text{pos}(A)$$

只算一次

⑩ coff 精度补偿:

$$\text{coff} = \frac{\vec{r}}{r^3} = \frac{1000 \cdot \vec{r}}{(1000 \cdot r)^3} \cdot 1000^2$$